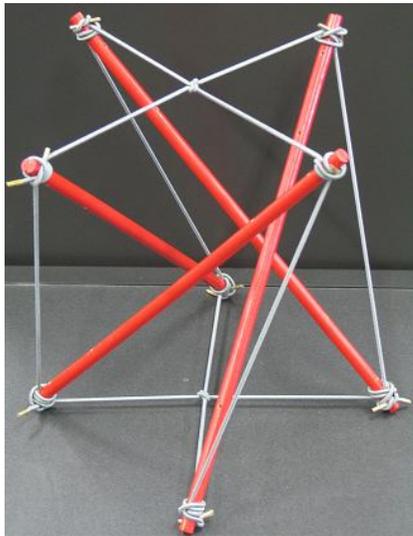


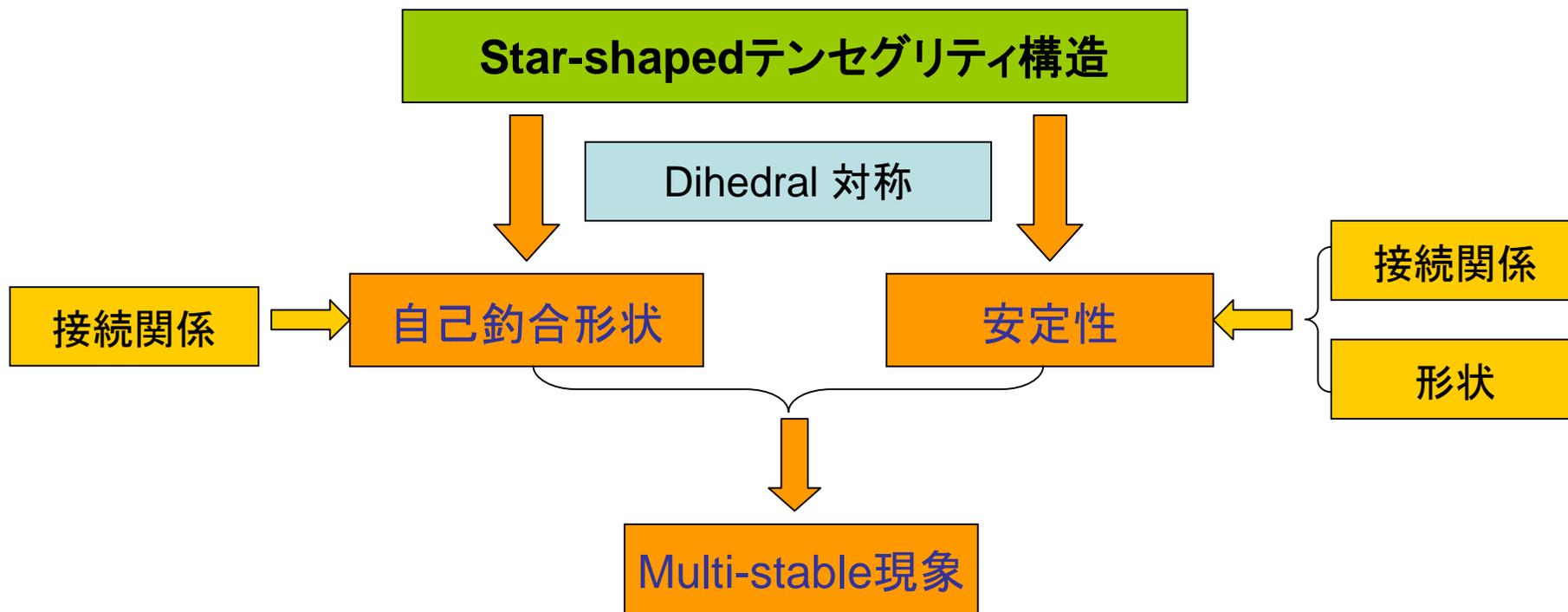
# Multi-stable テンセグリティ構造物



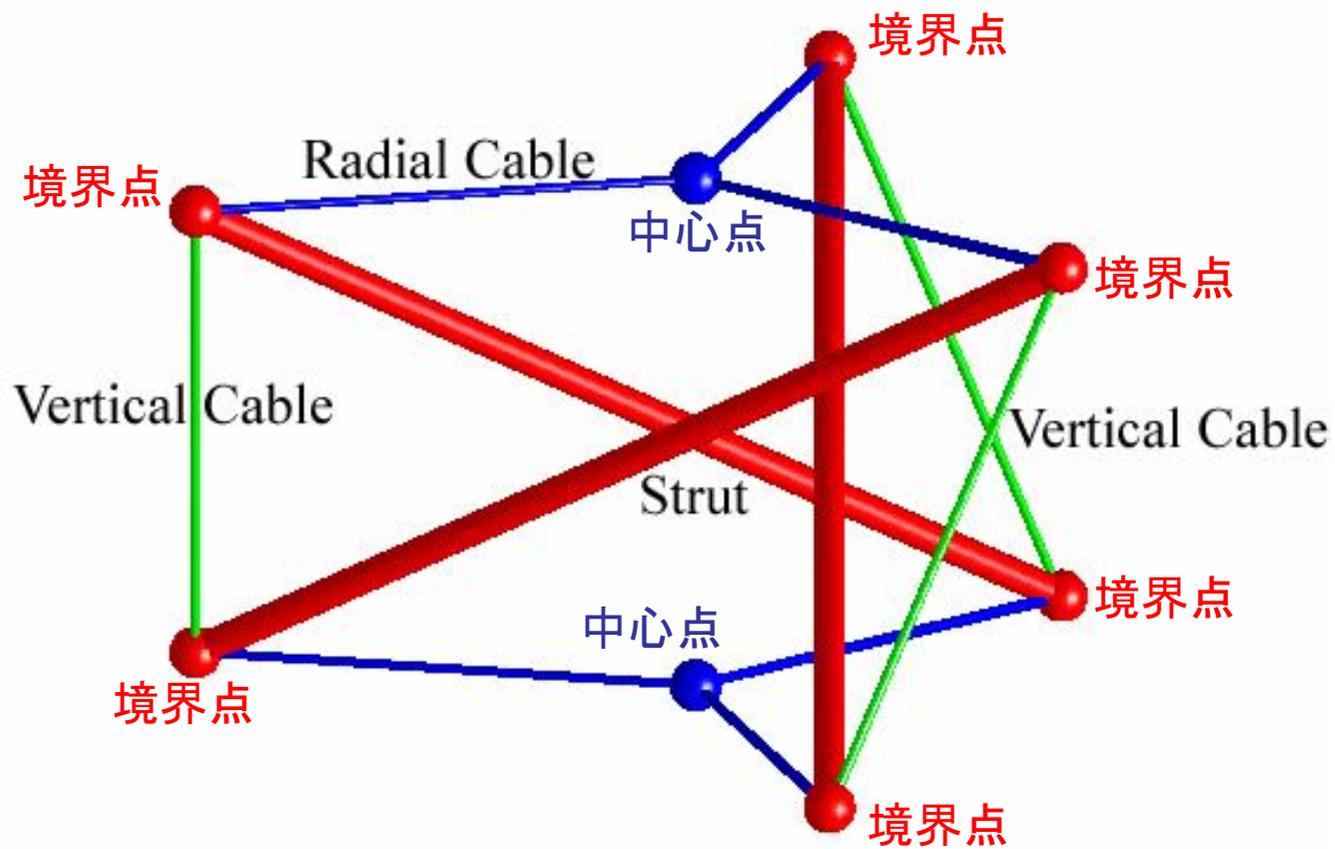
張 景耀  
大崎 純  
S.D. Guest

京都大学 建築学専攻





# 形状 $D_n^v$



6 境界点

2 中心点

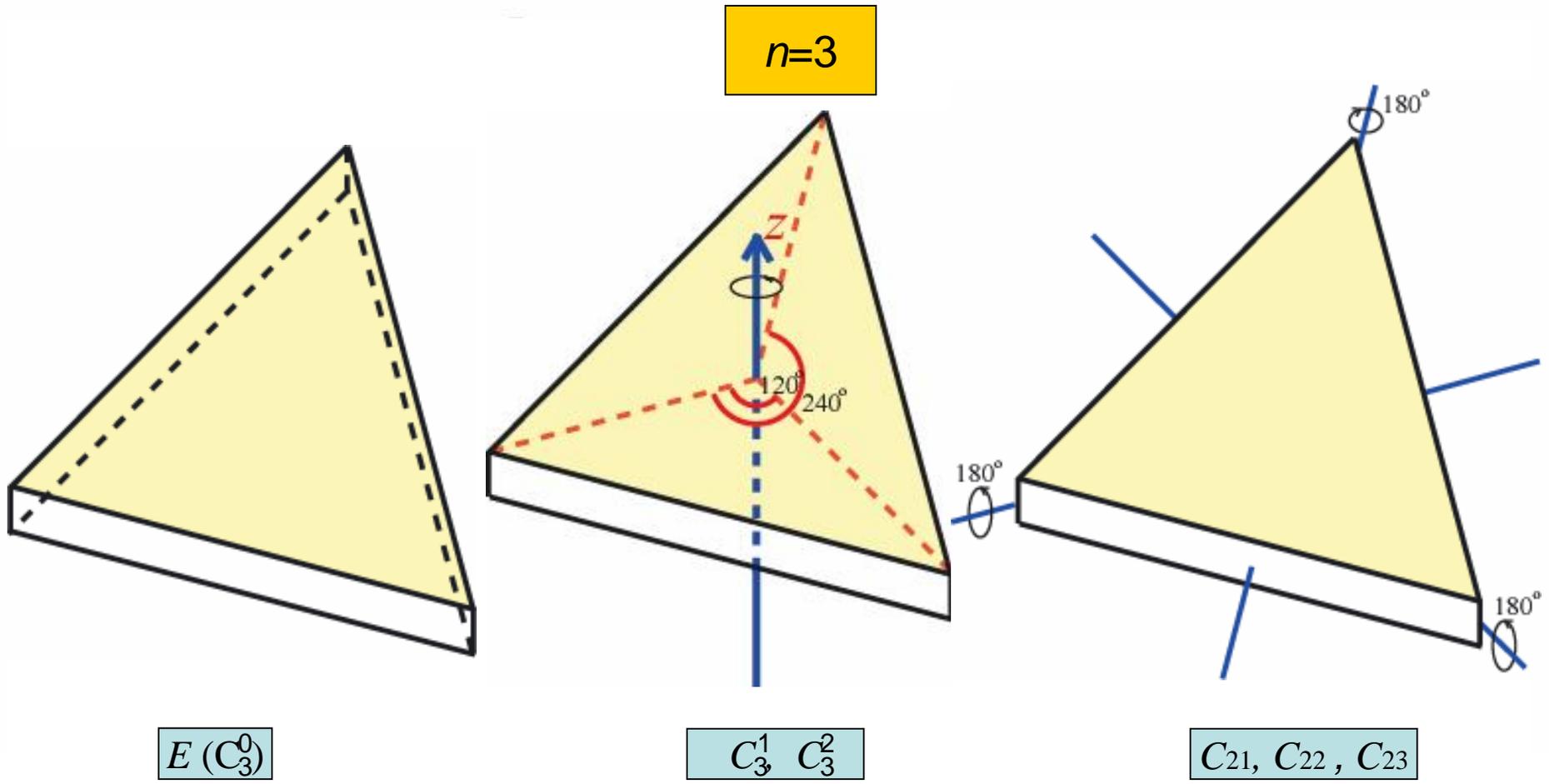
3 Struts

6 Radial

3 Vertical

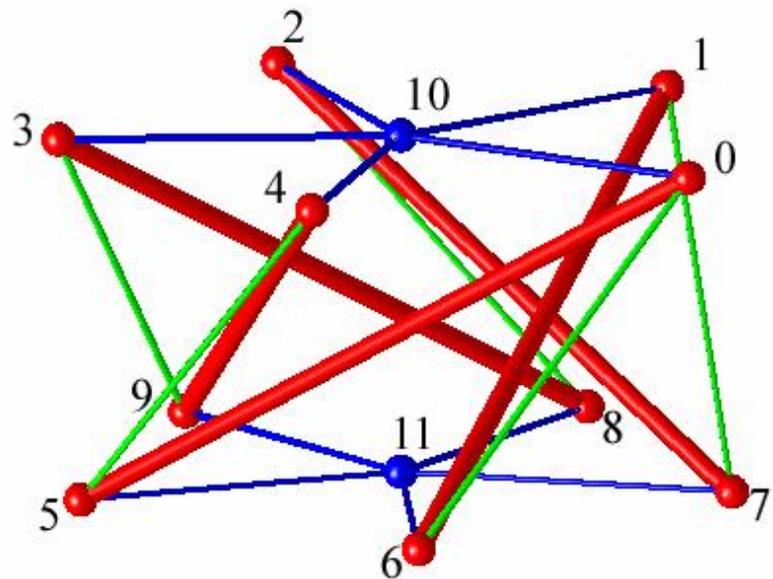
Star-shaped テンセグリティ構造  $D_3^1$

# Dihedral对称 $D_n^v$



对称操作 ( $D_3$ )

# 接続関係 $D_n^v$



$n = 5$

境界点

上: 0, 1, 2, 3, 4(= $n-1$ )

下: 5, 6, 7, 8, 9(= $2n-1$ )

中心点

上: 10(= $2n$ )

下: 11(= $2n+1$ )

$v=1$

Strut

$$i \longleftrightarrow n+i \quad (i < n)$$

(0, 5); (1, 6); (2, 7); (3, 8); (4, 9)

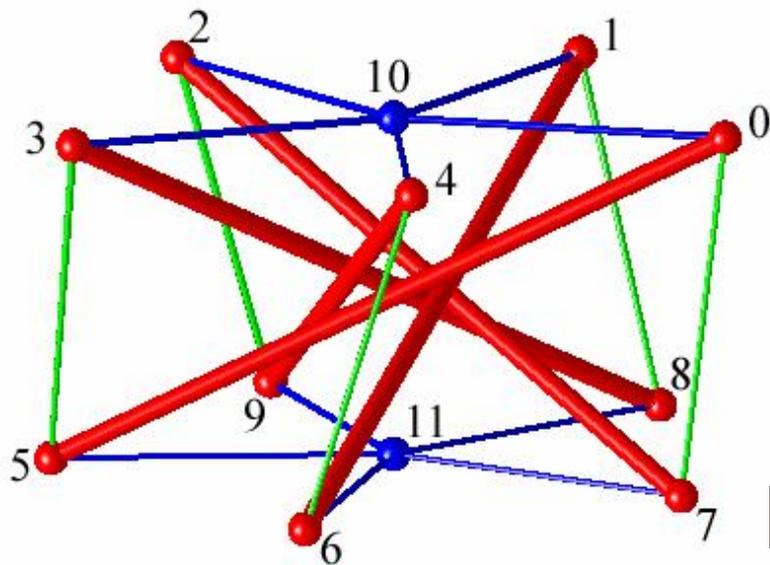
Radial

上:  $i \longleftrightarrow 2n$

下:  $n+i \longleftrightarrow 2n+1$

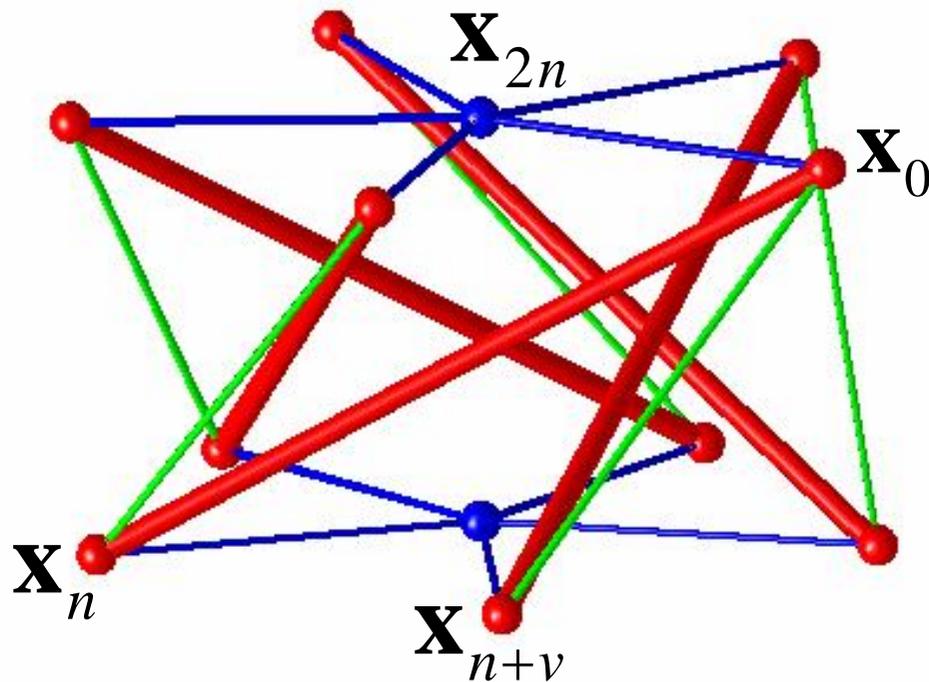
Vertical

$$i \longleftrightarrow n+v+i$$



$v=2$

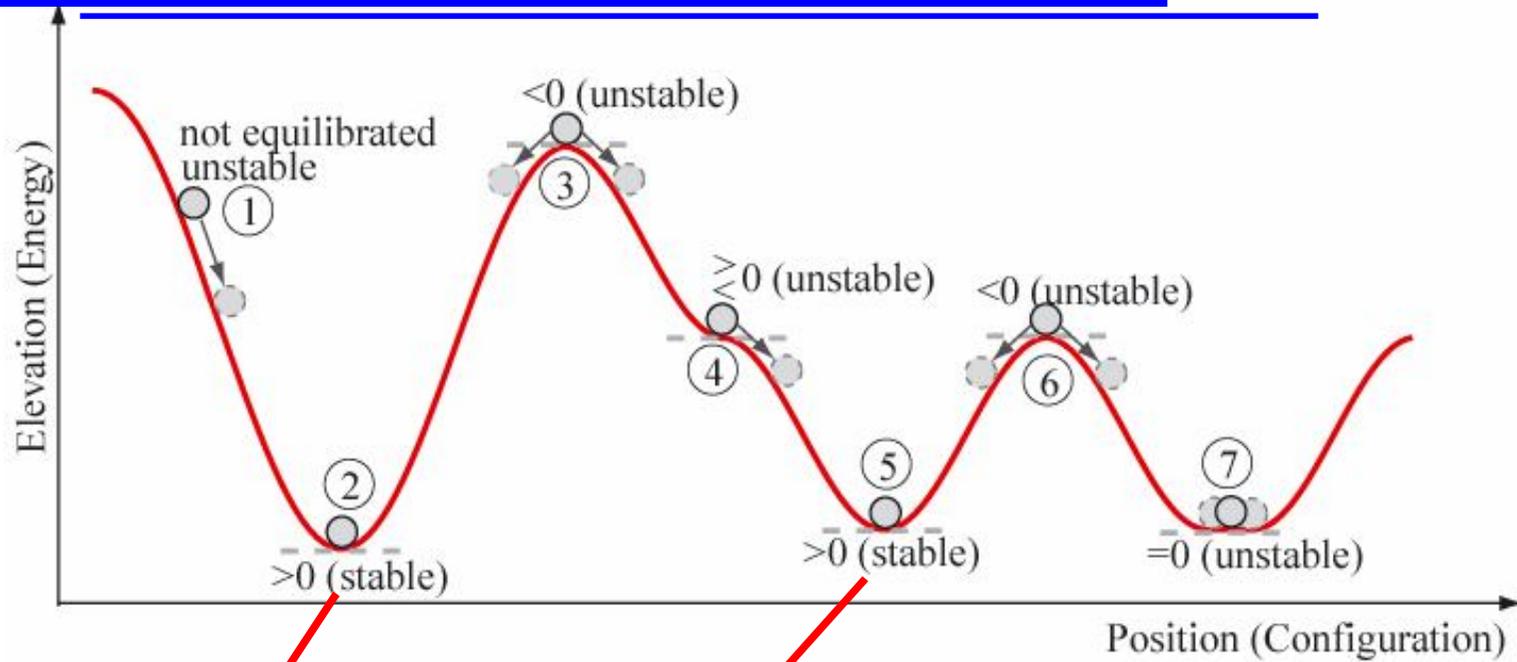
# 自己釣合形状



$$\mathbf{A}\mathbf{x}_0 = \mathbf{0} \xrightarrow{\text{A 特異}} \begin{cases} q_v / q_s = -1 \\ q_r / q_v = \sqrt{2(1 - \cos(2v\pi / n))} \end{cases} \quad (\text{Force density})$$

$$\mathbf{x}_0 \xrightarrow{\text{对称操作}} \mathbf{x}_1, \mathbf{x}_2, \dots, \mathbf{x}_i, \dots, \mathbf{x}_{2n-1}$$

# 安定条件



$$\mathbf{K} = \mathbf{K}^G + \mathbf{K}^E > 0$$

+∞ 線形剛性



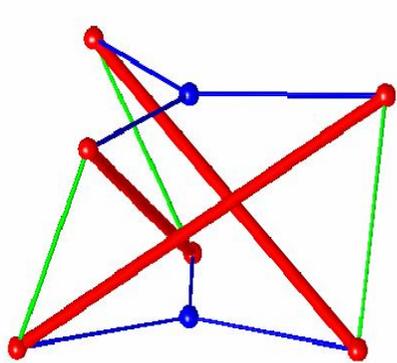
$$\mathbf{K}^E \rightarrow 0 \text{ or } +\infty$$



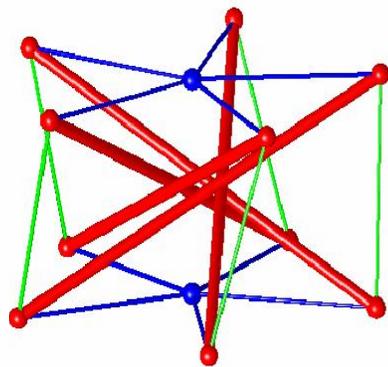
$$\mathbf{Q} = \mathbf{M}^T \mathbf{K}^G \mathbf{M} > 0$$

**M** ? mechanism

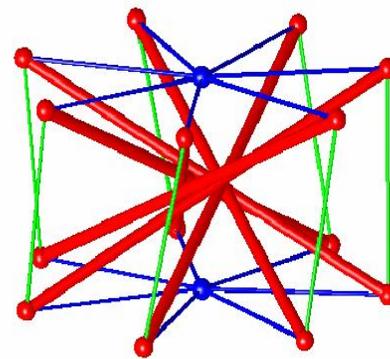
# 無条件的安定



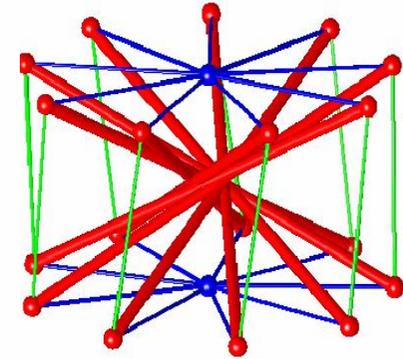
$D_3^1$



$D_5^2$



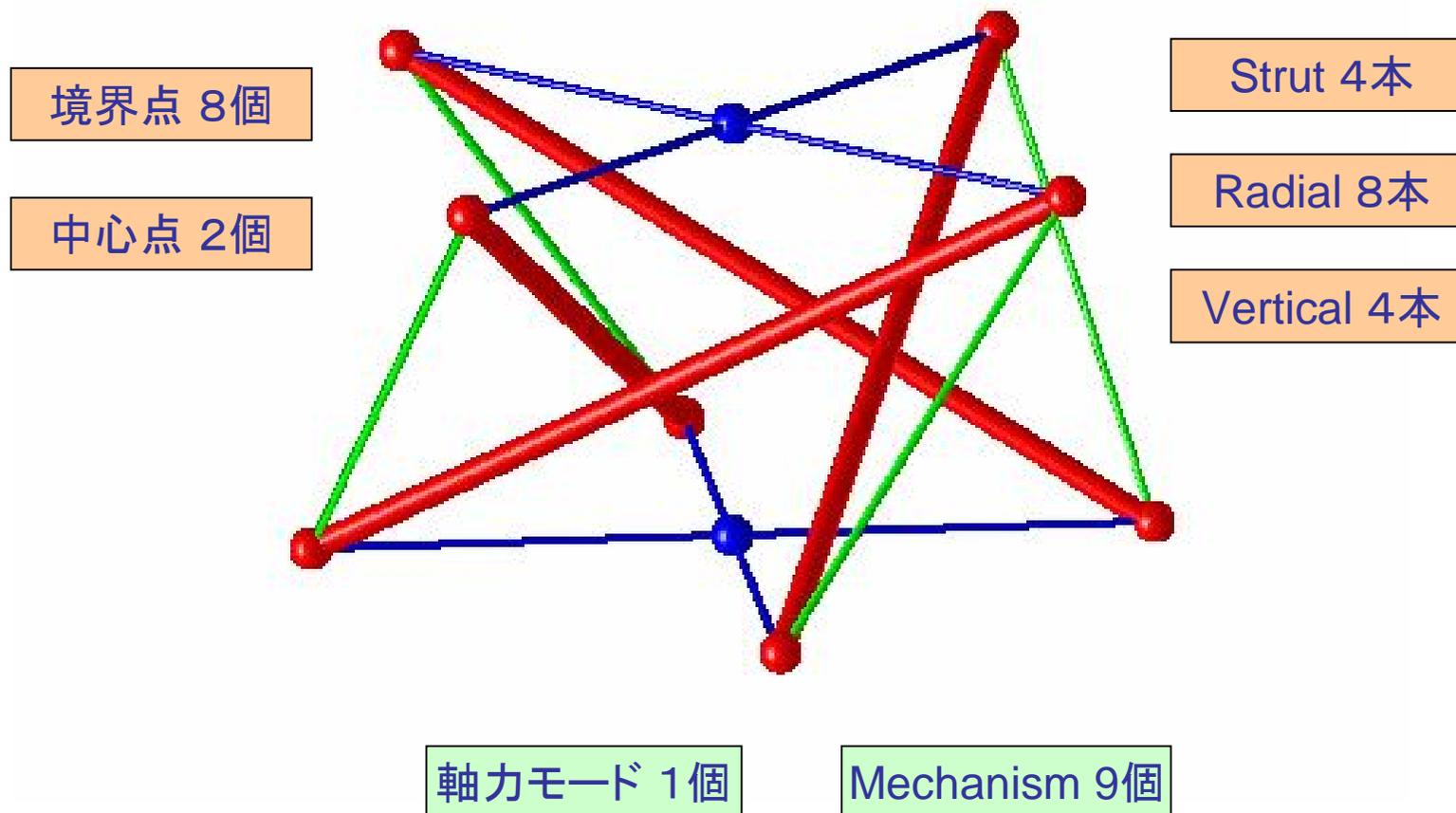
$D_7^3$



$D_9^4$

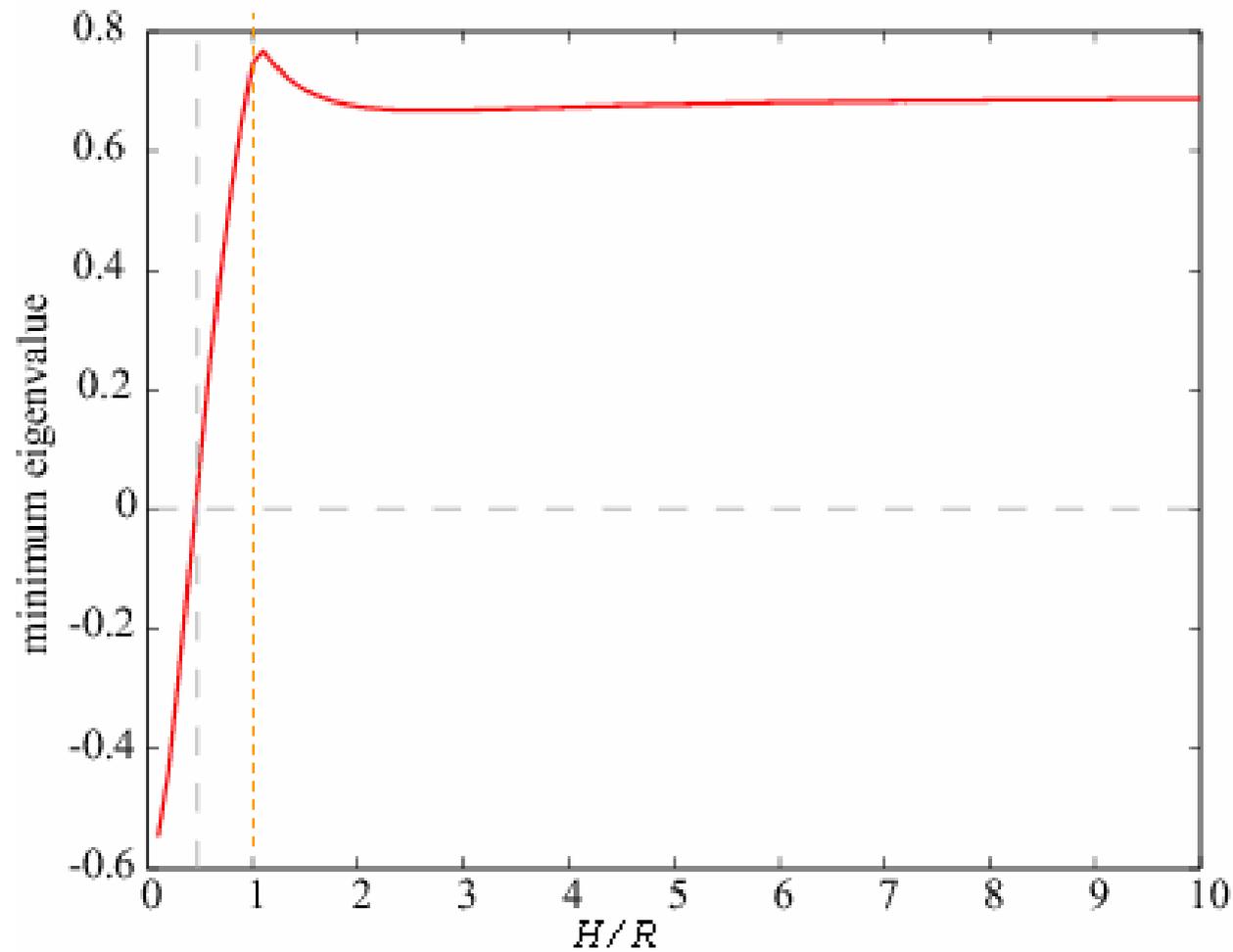
# 条件的安定の構造 $D_4^1$

9/14



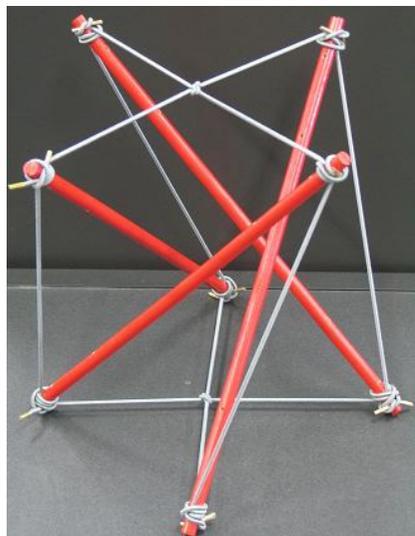
# $D_4^1$ の安定性と形状の関係

10/14

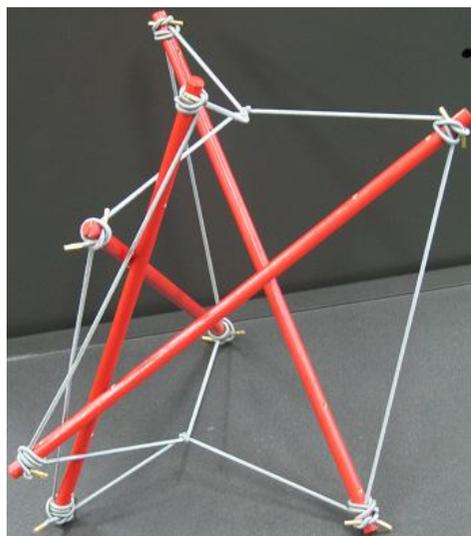
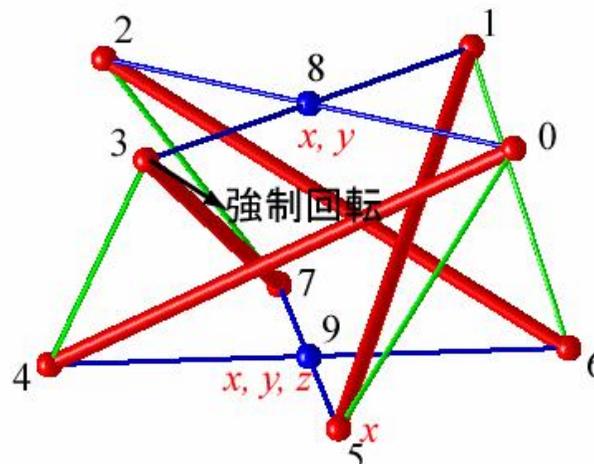


部材剛性が無限大

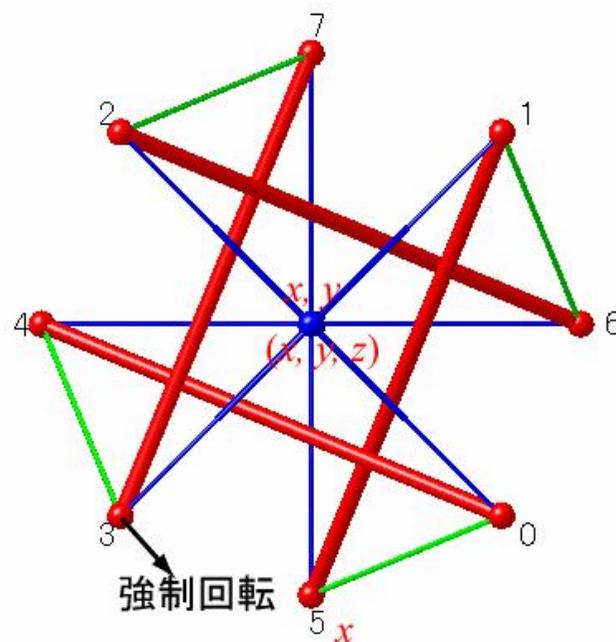
# $D_4^1$ の安定形状



安定形状一

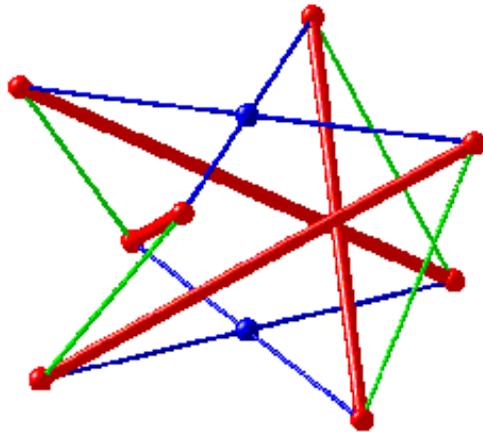


安定形状二



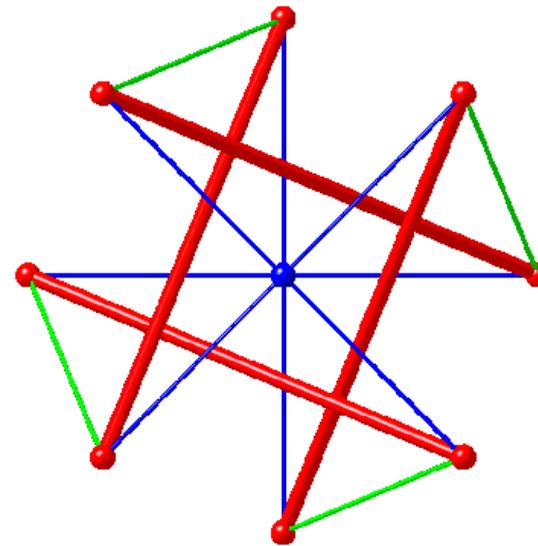
# Multi-stable追跡

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Side View

$D_4^1$



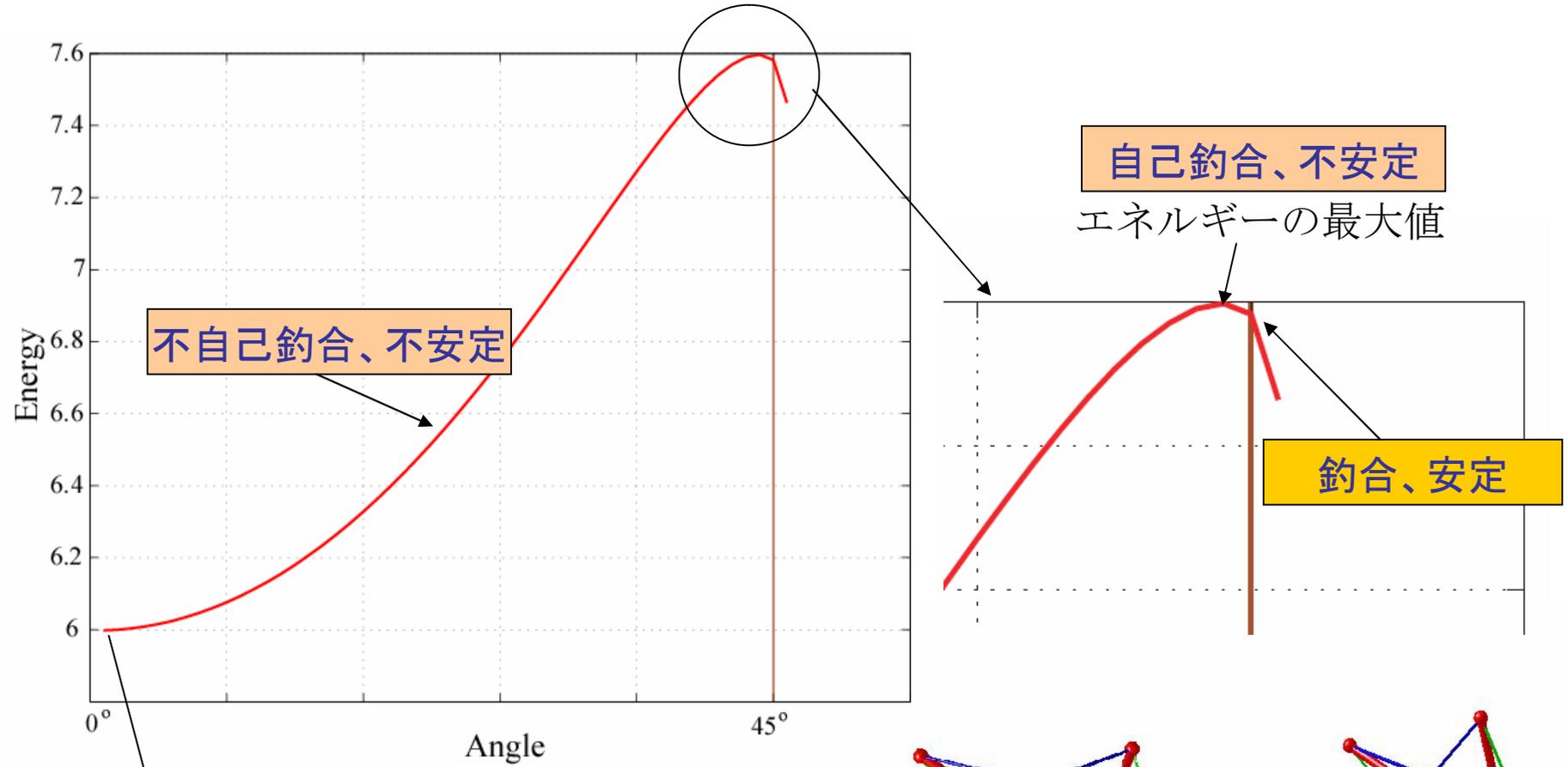
Top View

$H/R = 1.0$

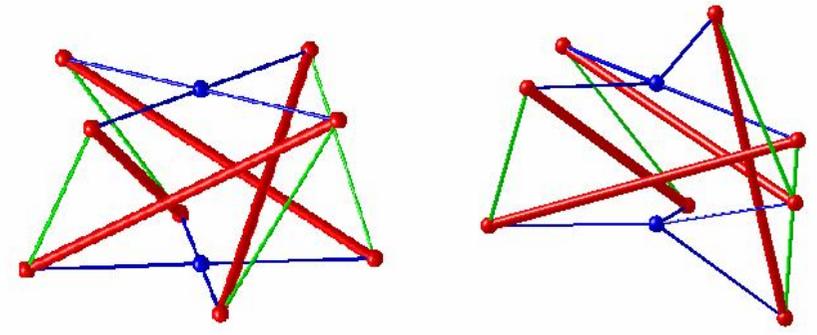
Strutの線形剛性 $1.0E6$  N

Cableの線形剛性 $1.0E2$  N

# ひずみエネルギー



1回微分 **ゼロ** → 自己釣合  
2回微分 **正** → 安定



## Star-shaped Prismaticテンセグリティ構造

対称性

自己釣合形状

安定性

接続関係

Vertical Cable

形状

高さ / 半径

多数の安定形状の追跡

